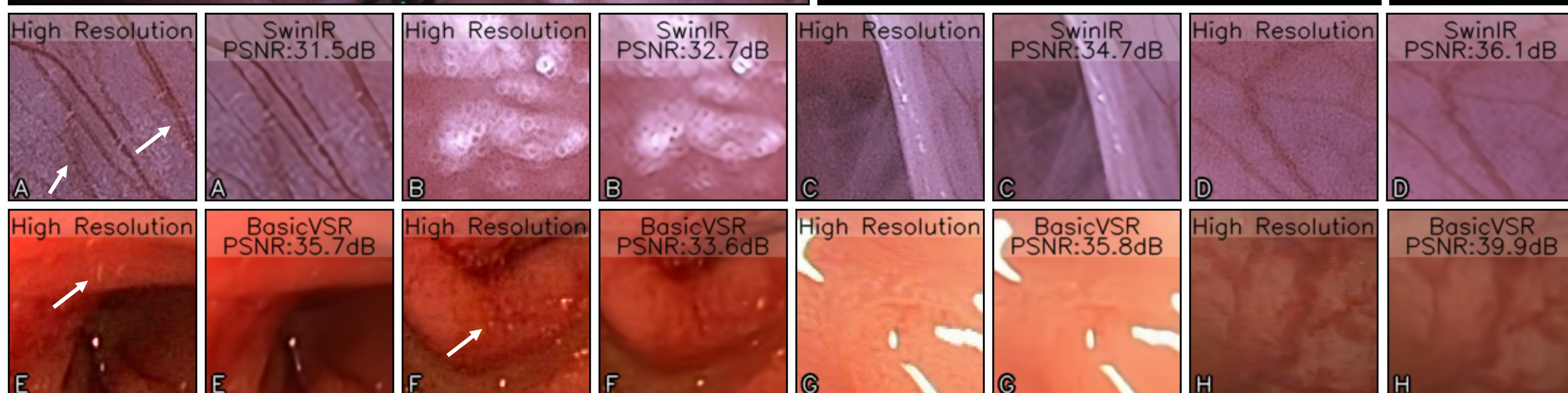
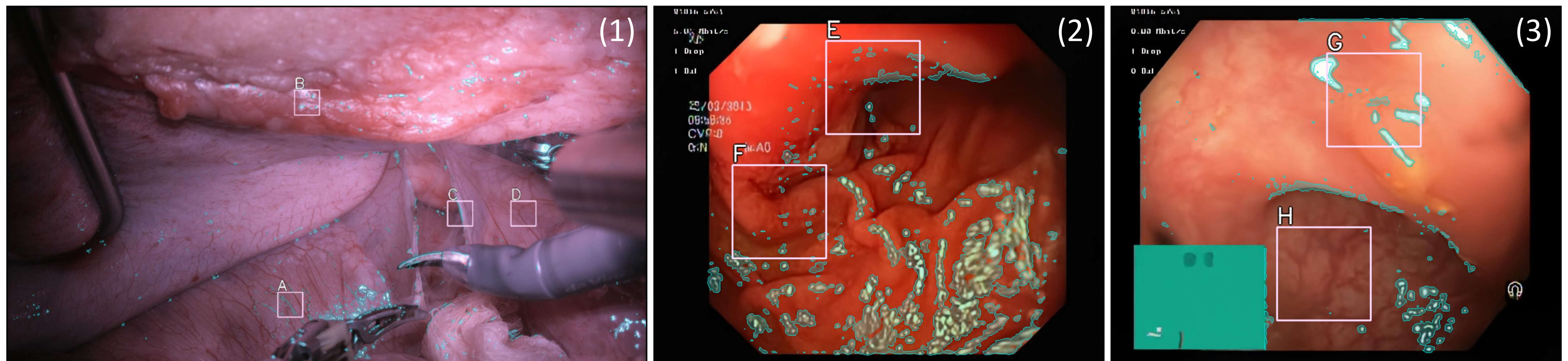


- **AI-based enhancement** techniques can improve image quality under real-time hardware constraints. However, these might produce **hallucinated outputs**, causing **reliability concerns**.
- We introduce **Conformal Failure Masks (CFMs)**, which provide **operational failure decisions** with theoretical guarantees **controlled by the user**.

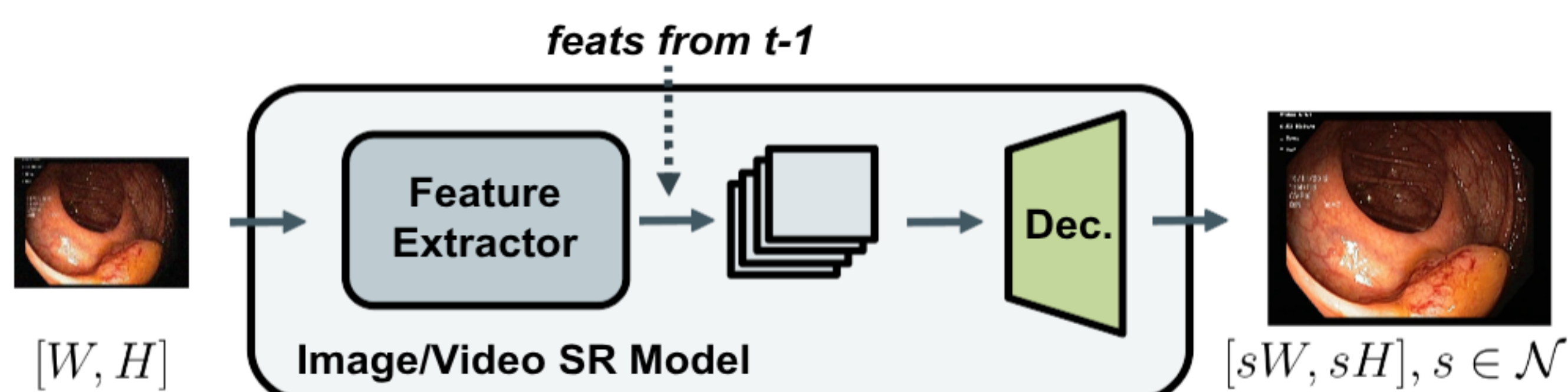


Qualitative visualizations of CFMs (blue). Masks are created at an error level of **22dB** and tolerating a **false-negative rate of 5%**.

(1): SurgiSR4K, using SwinIR-4x: 950x540p to 3840x2160p. (2-3): HyperKvasir, using BasicVSR-4x: 180x144p to 750x576p.

Super-resolution for endoscopic imaging

- **Real-time image/video super-resolution (SR)** models are composed by a feature extractor and a decoder increasing resolution and denoising.

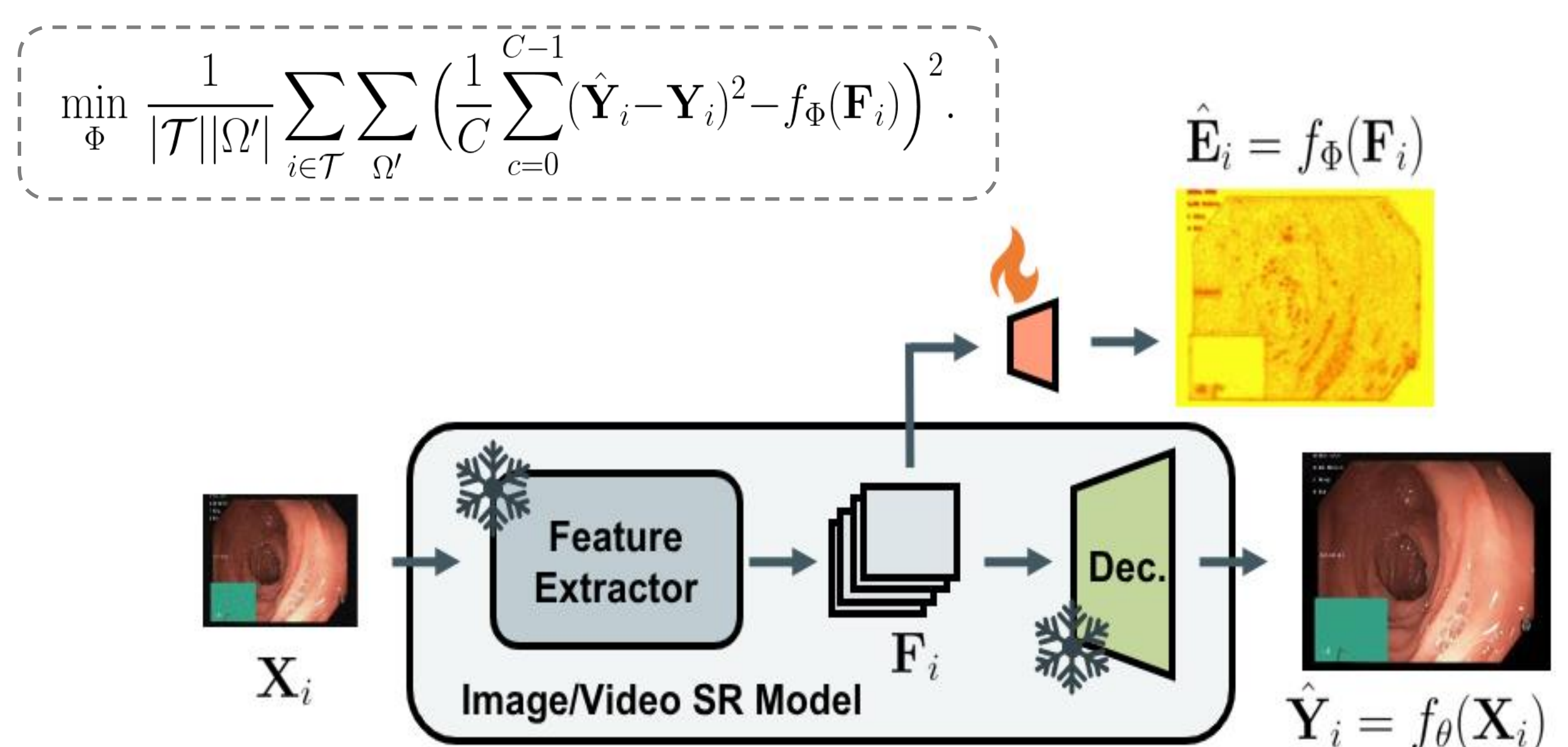


- Ideally, **well-established open-access models**, e.g. SwinIR or BasicVSR, could be directly used, avoiding retraining on large data collections.
- How a **practical and reliable SR system** should be?
 1. Image/video SR model-agnostic without retraining.
 2. Real-time latency.
 3. Operational failure decisions (in contrast to interval-valued outputs).
 4. Control and guarantees over detected failures.

Existing UQ frameworks [MC-Dropout, Ensembles, Bayesian, CQR] cannot be deployed under these constraints.

Step 1: Lightweight SR error quantification

- A **low-latency network** based on convolutional blocks is trained to **estimate the reconstruction error**, using **frozen intermediate SR model features**, and few LR-HR paired videos.



Step 2: Conformal Failure Masks

- An **operational threshold** transforms the estimate into **binary masks**.

$$\hat{M}_i^{\tau} = \mathbf{1}\{\hat{E}_i \geq \tau\} \in \{0, 1\}^{\Omega' \times 1}$$
- We **control**: the desired **error level** (PSNR) that the practitioner requires and the **false-negative rate** tolerance on detected failures (FNR):

$$\text{FNR}(\tau^{\text{fail}}, \tilde{\tau}) \leq \alpha.$$

$$\text{FNR}_{\mathcal{D}_{\text{cal}}}(\tau^{\text{fail}}, \tau) = \frac{1}{N} \sum_{i \in \mathcal{C}} \sum_{\Omega'} \mathbf{1}\{\mathbf{M}_i^{\tau^{\text{fail}}} = 1 \wedge \hat{M}_i^{\tau} = 0\}$$

- Using **fresh calibration data** and **conformal risk control** principles, we provide **theoretical guarantees** upon exchangeability of incoming data.

$$\tilde{\tau} = \sup \left\{ \tau : \frac{N}{N+1} \text{FNR}_{\mathcal{D}_{\text{cal}}}(\tau^{\text{fail}}, \tau) - \frac{1}{N+1} \leq \alpha \right\}.$$